

# LECTURE 22

## SET AND DEFAULTDICT

MCS 275 Spring 2022

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# LECTURE 22: SET AND DEFAULTDICT

Course bulletins:

- Project 3 (due 18 March) coming soon.

# PLAN

- Wrap up trees unit
- Start language features unit

# INTEGERSET TIMING

`integerset.py` has been updated with a script to test addition and membership test times for 20,000 integers.

# TRAVERSALS

Last time we introduced the **preorder**, **postorder**, and **inorder** traversals of a binary tree.

The `trees` module now has methods for each of these.

# UNIQUELY DESCRIBING A TREE

Many different binary trees can have the same inorder traversal.

Many different binary trees can have the same preorder traversal.

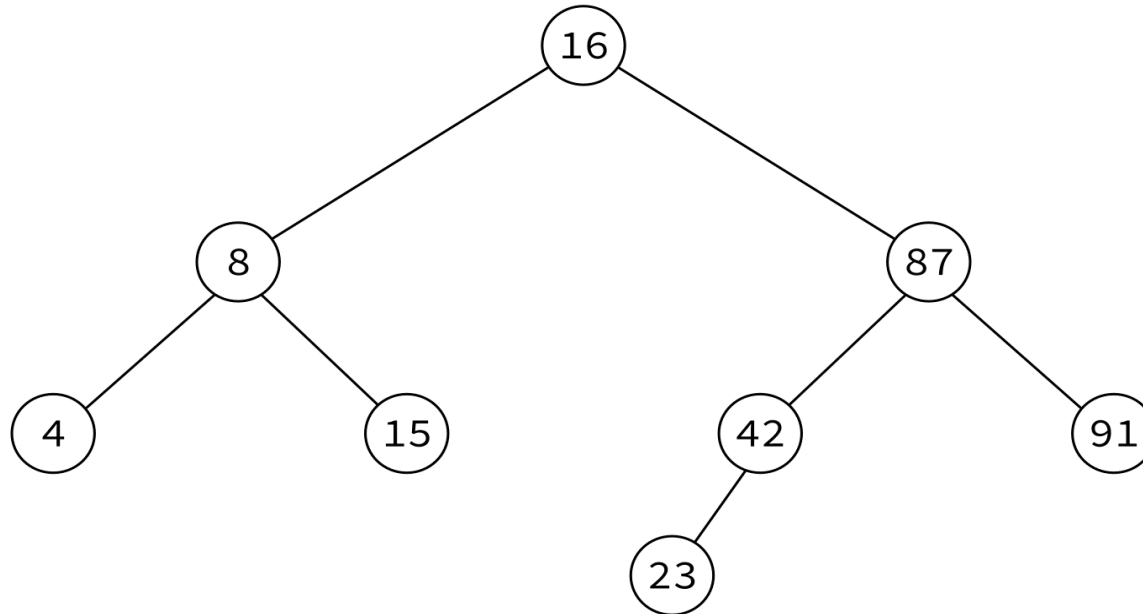
And yet:

**Theorem:** A binary tree  $T$  is uniquely determined by its inorder and preorder traversals.

# LAST WORDS ON BINARY TREES

- BSTs make a lot of data accessible in a few "hops" from the root.
- They are a good choice for mutable data structures involving search operations.
- Deletion of a node is an important feature we didn't implement. (Take MCS 360!)

- Unbalanced trees are less efficient.

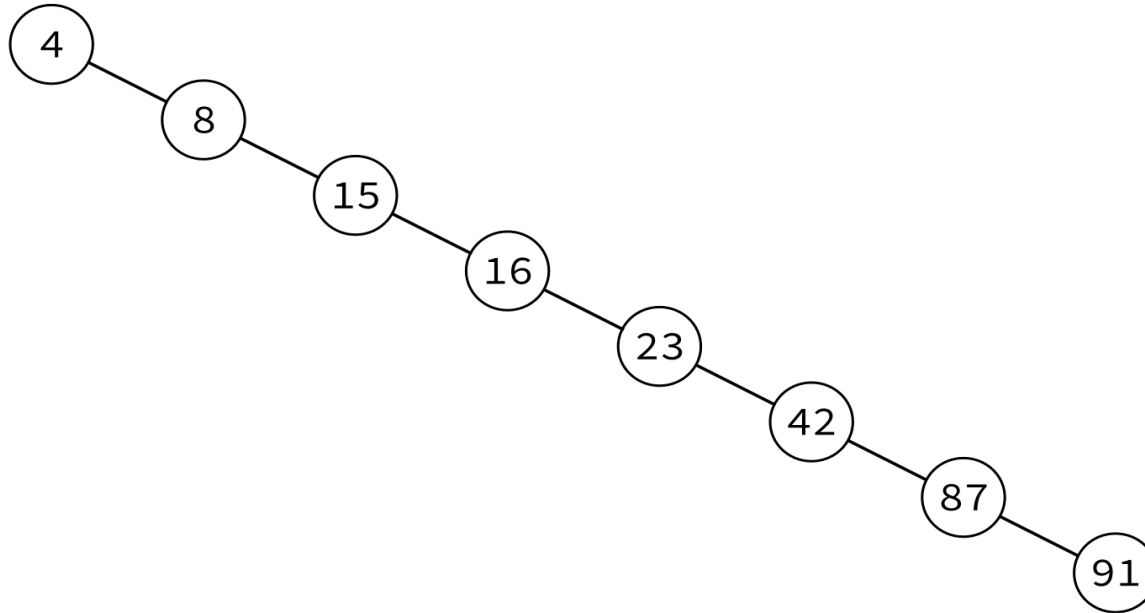


**Balanced**  
depth  $\approx \log_2(\text{number of nodes})$

MCS 360 usually covers rebalancing operations.



- Unbalanced trees are less efficient.



**Unbalanced**  
depth  $\approx$  number of nodes

MCS 360 usually covers rebalancing operations.

# SET

Python's built-in type `set` represents an unordered collection of distinct objects.

You can put an object in a `set` if (and only if) it's allowed as a key of a `dict`. For built-in types that usually just means immutable.

Allowed: `bool`, `int`, `float`, `str`, `tuple`

Not allowed: `list`, `set`

# SET USAGE

```
S = { 4, 8, 15, 16, 23, 42 } # Set literal
S = set() # New empty set
S.add(5) # S is {5}
S.add(10) # S is {5,10}
8 in S # False
5 in S # True
S.discard(1) # Does nothing
S.remove(1) # Raises KeyError
S.remove(5) # Now S is {10}
S.pop() # Remove and return one element (unclear which!)
for x in S: # sets are iterable (but no control over order)
    print(x)
```

# SET OPERATIONS

Binary operations returning new sets:

```
S | S2 # Evaluates to union of sets
S & S2 # Evaluates to intersection of sets
S.union(iterable) # Like | but allows any iterable
S.intersection(iterable) # Like & but allows any iterable
```

# SET MUTATIONS

Operations that modify a set *S* based on contents of another collection.

```
# adds elements of iterable to S  
S.update(iterable)
```

```
# remove anything from S that is NOT in the iterable  
S.intersection_update(iterable)
```

```
# remove anything from S that is in the iterable  
S.difference_update(iterable)
```

# MORE ABOUT SET

`set` has lots of other features that are described in the [documentation](#).

Python's `set` is basically a dictionary without values.  
For large collections, it is much faster than using a list.  
Appropriate whenever order is not important, and  
items cannot appear multiple times.

# HISTOGRAM

You want to know how many times each character appears in a string.

```
hist = dict()  
for c in s:  
    hist[c] += 1
```

This won't work. Why?



# DEFAULTDICT

Built-in module `collections` contains a class `defaultdict` that works like a dictionary, but if a key is requested that doesn't exist, it creates it and assigns a default value.

```
import collections
hist = collections.defaultdict(int)
for c in s:
    hist[c] += 1
```

This works!

The `defaultdict` constructor takes one argument, a function `default_factory`.

`default_factory` is called to make default values for keys when needed.

Common examples with built-in factories:

```
defaultdict(list) # default value [] as returned by list()
defaultdict(int) # default value 0, as returned by int()
defaultdict(float) # default value 0.0, as returned by float()
defaultdict(str) # default value "", as returned by str()
```

# REFERENCES

- In optional course texts:
  - [Problem Solving with Algorithms and Data Structures using Python](#) by Miller and Ranum, discusses binary trees in [Chapter 7](#).
  - Lutz discusses sets in Chapter 5, in the subsection "Other Numeric Types" (even though there is nothing "numeric" about sets).
- Elsewhere:
  - [Cormen, Leiserson, Rivest, and Stein](#) discusses graph theory and trees in Appendices B.4 and B.5, and binary search trees in Chapter 12.

# REVISION HISTORY

- 2022-03-02 Initial publication

